

# coreStar

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# Separation Logic—Models

$$\sigma, h \models \phi$$

where

$$\sigma \in \text{Variable} \rightarrow \text{Value} \quad (1)$$

$$h \in (\text{Value} \times \text{Variable}) \rightarrow \text{Value} \quad (2)$$

## Examples

$$\sigma, [] \models \text{emp} \quad (3)$$

$$[x : 0], h \models x = 0 \quad (4)$$

$$[x : 0], [(0, f) : 1] \models x \overset{f}{\mapsto} 1 \quad (5)$$

$$[x : 0, y : 1], [(0, f) : 2, (1, g) : 3] \models (x \overset{f}{\mapsto} 2 * y \overset{g}{\mapsto} 3) \wedge (x \neq y) \quad (6)$$



# Separation Logic—Symbolic Execution of Calls

statement  $z := f(e)$  (7)

specification  $\{P\} x := f(y) \{Q\}$  (8)

## Pure Only State $\Pi$

If  $\Pi \Rightarrow P[e/y]$  is valid

then continue with  $Q[z/x] \wedge \exists z'. \Pi[z'/z]$

else signal an error.

## Spatial State $\Sigma$

If  $\Sigma \Rightarrow (P[e/y] * F)$  is valid for *some* frame  $F$

then continue with  $Q[z'/z][z/x] * \exists z'. F[z'/z]$

else signal an error



# Some Existing Tools that use Separation Logic

## Not based on coreStar

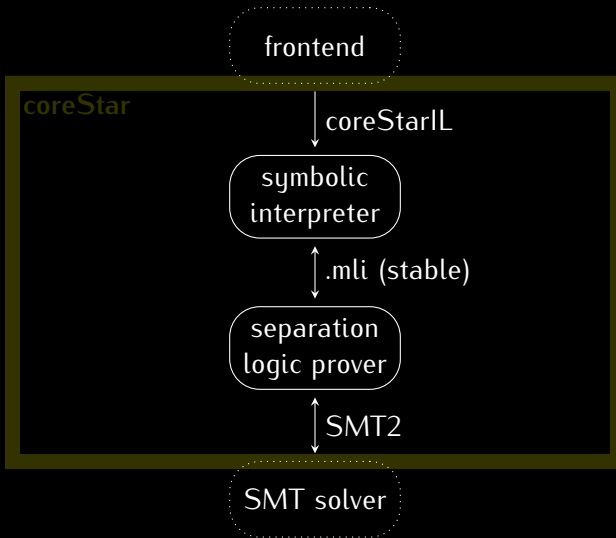
- ▶ Smallfoot [Berdine et al., 2005]
- ▶ nameless [Chin et al., 2007]
- ▶ SpacInvader [Yang et al., 2008],  
Abductor [Calcagno et al., 2009],  
Infer [Calcagno, Distefano, 2011]
- ▶ VeriFast [Jacobs et al., 2010]

## Based on coreStar

- ▶ jStar [Distefano, Parkinson, 2008]
- ▶ MultiStar [van Staden, Calcagno, 2010]
- ▶ VMC [Botinčan et al. 2011]



# coreStar Architecture



# coreStarLL

$$Q ::= \{\phi\} S_1; \dots S_n; \{\phi\} \quad (9)$$

$$S ::= x_1, \dots, x_n := \{\phi\} \{\phi\} \quad (10)$$

$$S ::= \text{label } l \quad (11)$$

$$S ::= \text{goto } l_1, \dots, l_n \quad (12)$$

$$\phi ::= \Pi \mid \Sigma \mid \phi * \phi \quad (13)$$

$$\Pi ::= \text{true} \mid E = E \mid E \neq E \mid p(E_1, \dots, E_n) \quad (14)$$

$$\Sigma ::= \text{emp} \mid s(E_1, \dots, E_n) \quad (15)$$

$$E ::= \dots \quad (16)$$



## coreStarIL—Example Frontend Translation

$$x = E \quad \rightsquigarrow \quad x := \{\}\{\text{ret}_1 = E\} \quad (17)$$

$$x = *E \quad \rightsquigarrow \quad x := \{\text{pto}(E, \_v)\}\{\text{pto}(E, \_v) * \text{ret}_1 = \_v\} \quad (18)$$

$$*E = F \quad \rightsquigarrow \quad () := \{\text{pto}(E, \_v)\}\{\text{pto}(E, F)\} \quad (19)$$

$$\text{new}(x) \quad \rightsquigarrow \quad () := \{\}\{\text{pto}(x, \_v)\} \quad (20)$$

$$\text{del}(x) \quad \rightsquigarrow \quad () := \{\text{pto}(x, \_v)\}\{\} \quad (21)$$

if ( $E$ ) then  $B_1$  else  $B_2$

$\rightsquigarrow$

goto  $l_1, l_2;$  (22)

label  $l_1;$  () :=  $\{\}\{E\}; B_1;$  goto  $l_3;$

label  $l_2;$  () :=  $\{\}\{E\}; B_2;$  label  $l_3;$



# Symbolic Interpreter

## Queries

Given  $\{P\} S_1; \dots S_n; \{Q\}$ ,

- ▶ is it correct?
- ▶ is there *some*  $F$  such that  $\{P * F\} S_1; \dots S_n; \{Q\}$  is correct?

## How It Works (for the First Query)

for each **symbolic state**  $(\phi, s)$

ask the prover to generate candidate frames  $F$   
for each frame  $F$

generate a next symbolic state

(perhaps) apply user defined **abstraction rules**

remember the new (abstract symbolic) state

repeat until fix-point





# Separation Logic Prover

## Queries

Given formulas  $\phi$  and  $\psi$ ,

- ▶ is  $\phi \Rightarrow \psi$  valid?
- ▶ is there some  $F$  such that  $\phi \Rightarrow (\psi * F)$  is valid?
- ▶ is there some  $A$  and some  $F$  such that  $(\phi * A) \Rightarrow (\psi * F)$  is valid?

## What It Does

- ▶ congruence closure (with uninterpreted functions)
- ▶ backtracking search based on user defined **logic rules**
- ▶ off-load pure goals to SMT solver



## coreStarIL—Example Frontend Rules

```
rule pto_remove1:  
  | pto(?x, ?v) |- pto(?x, ?w)  
  without  
    ?v != ?w  
  if  
    pto(?x, ?v) | |- ?v = ?w
```

```
rule pto_pto_contradiction1 :  
  pto(?x, ?v) * pto(?x, ?w) | |-  
  if
```



# Future

- ▶ issues we know of
  - ▶ interprocedural analysis
  - ▶ handle recursion (now off-loaded to front-end)
  - ▶ systematic way of proving soundness of logic rules and abstraction rules
  - ▶ abstraction rules not enough for some abstractions
  - ▶ baby APIs for symbolic and interpreter and for prover
  - ▶ documentation (*actually* re-implement Smallfoot, ...)
  - ▶ bug fixes
  - ▶ code cleanup
  - ▶ ...
- ▶ issues we don't know of
- ▶ please try it and improve it
  - ▶ <http://jstarverifier.org/>
  - ▶ <http://github.com/seplogic/corestar>



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